## Regents Physics

## Free Fall and

## Projectile Motion

APlusPhysics

## Objectives

- Use kinematic equations to solve problems for objects moving at a constant acceleration in free fall.
- Sketch the theoretical path of a projectile.
- Recognize the independence of the vertical and horizontal motions of a projectile.
- Solve problems involving projectile motion for projectiles fired horizontally and at an angle.


## Air Resistance

- If we drop a ball and a sheet of paper simultaneously from the same height, it is obvious that they don't fall at the same rate.
- If we could remove all the air from the room, however, we would find that they fall at the same rate.
- We will analyze the motion of objects by neglecting air resistance (a form of friction) for the time being.


## Acceleration Due to Gravity

- Near the surface of Earth, objects accelerate downward at a rate of $9.8 \mathrm{~m} / \mathrm{s}^{2}$.
- We call this acceleration the acceleration due to gravity (g).
- More accurately, it is called the gravitational field strength.
- As you move further away from Earth, $g$ decreases.


## What is free fall?

- A free falling body is any object whose motion is affected upon only by gravity and moves vertically.


Objects Falling From Rest

Objects Launched Upward

## What is a projectile?

- A projectile is an object that is acted upon only by gravity.
- In reality, air resistance plays a role, but similar to free fall, we will neglect air resistance in this course.
- Typically, projectiles are objects launched at an angle.
- Projectiles launched at an angle move in parabolic arcs.



## Sample Problem - falling

How far will a brick starting from rest fall freely in 3.0 seconds?
[Neglect air resistance.]

## Independence of Motion

- Projectiles launched at an angle have motion in two dimensions
- Vertical - like free fall
- Horizontal - 0 acceleration
- Vertical motion and horizontal motion can be treated separately!


## Sample - Horizontal Launch

- Fred throws a baseball $42 \mathrm{~m} / \mathrm{s}$ horizontally from a height of 2.0 m . How far will the ball travel before it reaches the ground?
$\downarrow$ Vert
$v_{i}=$
$v_{f}$
$d=$
$a=$
$t=F I N D$

$$
\begin{aligned}
d & =v_{i} t+\frac{1}{2} a t^{2} \\
d & =\frac{1}{2} a t^{2} \\
t & =\sqrt{\frac{2 d}{a}}= \\
& =
\end{aligned}
$$

| $\rightarrow$ Horz |  |
| :--- | ---: |
| $v_{i}=$ |  |
| $v_{f}=$ |  |
| $d=F I N D$ | $d=\bar{v} t$ |
| $a=$ | $d=$ |
| $t=$ | $=$ |

## Sample Problem - Human Cannonball



Herman the human cannonball is launched from level ground at an angle of $30^{\circ}$ above the horizontal with an initial velocity of $26 \mathrm{~m} / \mathrm{s}$.

How far does Herman travel horizontally before reuniting with the ground?


Herman is launched from level ground at an angle of $30^{\circ}$ above the horizontal with an initial velocity of $26 \mathrm{~m} / \mathrm{s}$. How far does Herman travel horizontally before reuniting with the ground?
$\uparrow$ Vert
$v_{i}=$
$v_{f}=$
$d=?$
$a=$
$t_{u p}=$ FIND

$$
\begin{aligned}
& v_{f}=v_{i}+a t \\
& t=\frac{v_{f}-v_{i}}{a} \\
& t= \\
& t_{\text {TOT }}=2 t=
\end{aligned}
$$

$$
\begin{aligned}
& \rightarrow \text { Horz } \\
& v_{i}= \\
& v_{f}= \\
& d=F I N D \\
& a= \\
& t= \\
& d=v_{i} t+\frac{1}{2} a t^{2} \\
& d=\bar{v} t \\
& d=
\end{aligned}
$$



